

## Supplementary Materials

### Enhancing atomic ordering, magnetic and transport properties of $\text{Mn}_2\text{VGa}$ Heusler alloy thin films toward negatively spin-polarized charge injection

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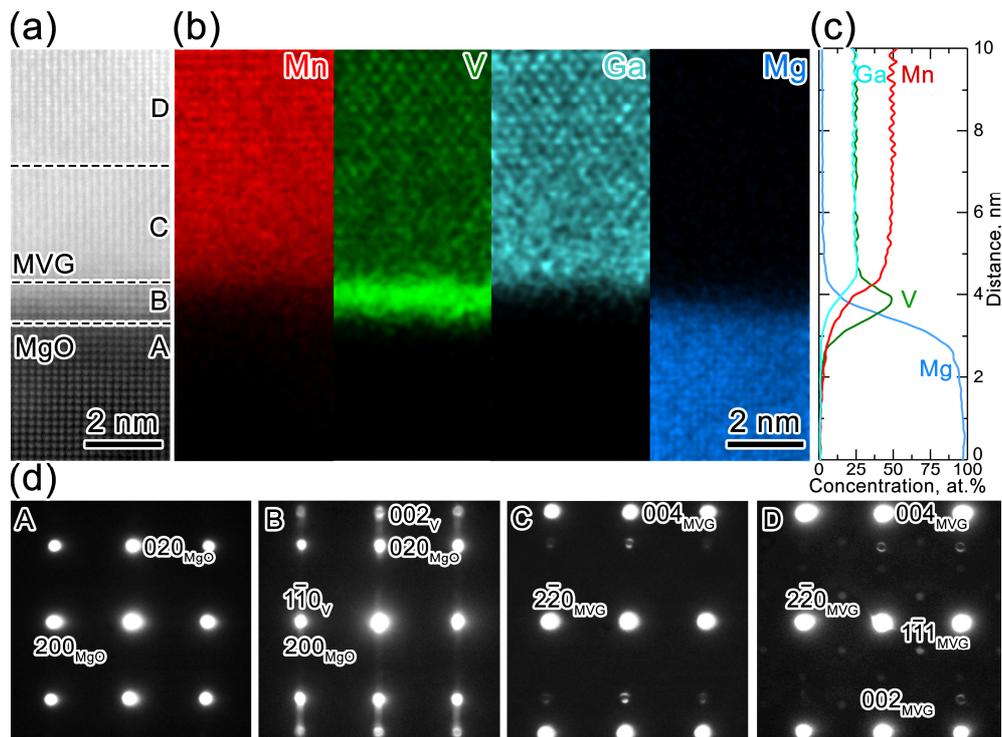
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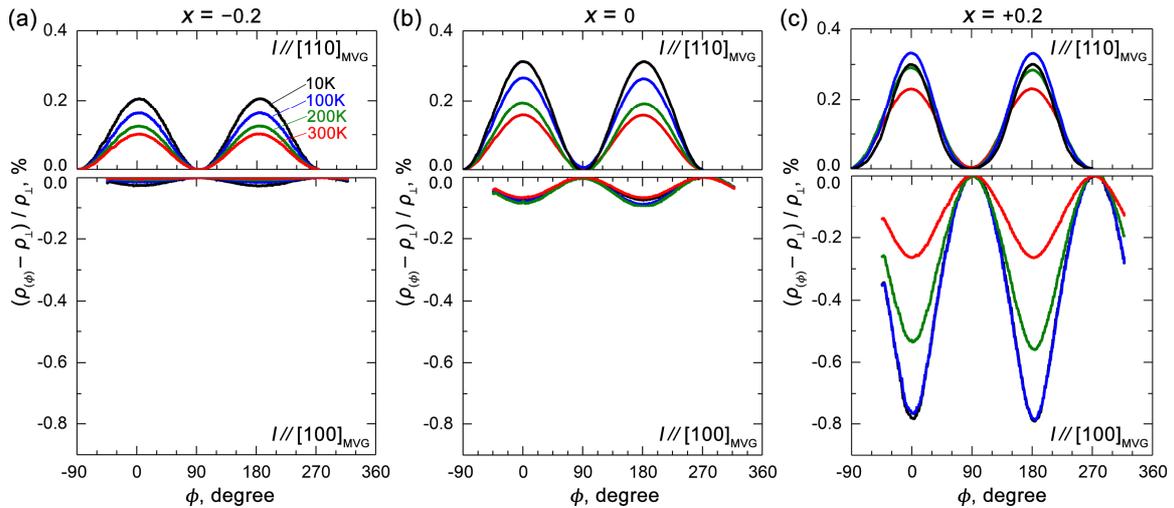
#### S.1: Interfacial structure of post-annealed MVG films



**Fig. S.1.** (a) Atomic-resolution HAADF-STEM image, and corresponding (b) EDS elemental maps, and (c) compositional line profiles across the post-annealed  $\text{MgO}/\text{Mn}_2\text{VGa}$  interface. (d) NBED patterns taken from the Regions A, B, C, and D in (a), respectively.

**Figure S.1** shows the post-annealed MgO/Mn<sub>2</sub>VGa interface at 600 °C. The atomic-resolution HAADF-STEM image clearly shows a ~ 1 nm-thick interface (Region B) between the MgO and the Mn<sub>2</sub>VGa film, **Fig. S.1a**. The EDS elemental maps and corresponding composition line profiles (**Fig. S.1b and 1c**) show that the MgO/Mn<sub>2</sub>VGa interface is enriched in V atoms. Combined with a series of NBED patterns taken from MgO (Region A) to Mn<sub>2</sub>VGa (Region D), **Fig. S.1d**, a BCC-structured V phase may be formed at the MgO/Mn<sub>2</sub>VGa interface with an epitaxial relationship of (001)[110]V // (010)[001]MgO, as previously reported [1,2]. Because pure V is paramagnetic, it has little influence on the magnetic properties of the prepared MVG films.

## S.2: Composition dependence of anisotropic magnetoresistance measurements

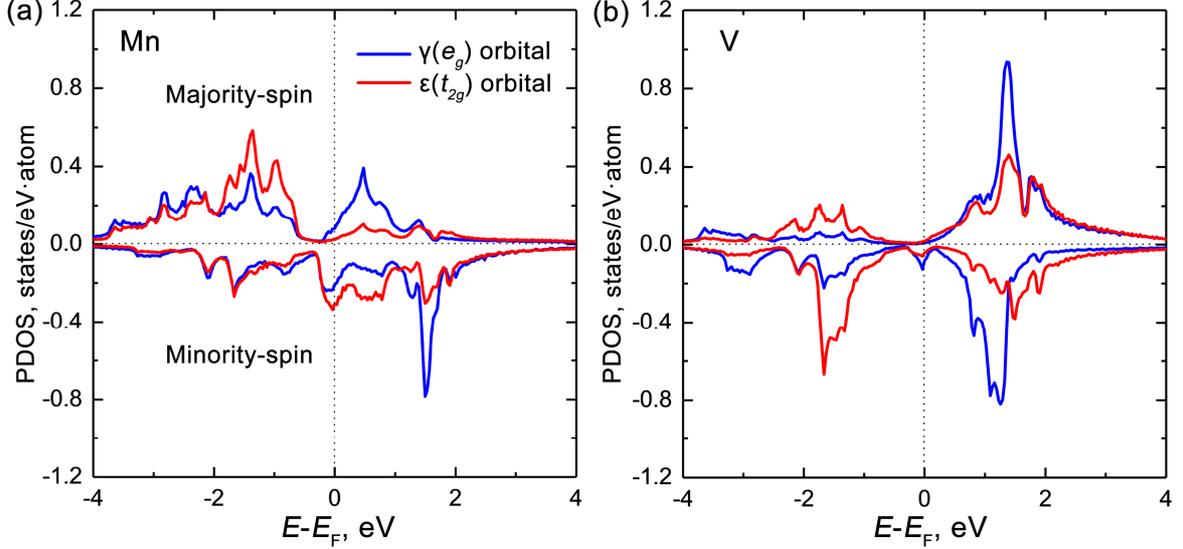


**Fig. S.1.** The  $\phi$  dependence of the AMR ratio for Mn<sub>2+x</sub>V<sub>1-x</sub>Ga films with  $x =$  (a)  $-0.2$ , (b)  $0$ , and (c)  $+0.2$ , respectively. Note that the current directions were aligned along  $[110]_{\text{MVG}}$

**Figures S.2a-c** shows the AMR ratio as a function of  $\phi$  for Mn<sub>2+x</sub>V<sub>1-x</sub>Ga ( $x = -0.2, 0, +0.2$ ) films measured from 10 to 300 K. All MVG films exhibit positive AMR ratios for the current along the  $[110]_{\text{MVG}}$ , and negative ratios as the current direction aligned with the  $[100]_{\text{MVG}}$ . The magnitude of negative AMR ratios along the  $[100]_{\text{MVG}}$  shows a strong composition dependence. The AMR ratio increases with increasing the  $x$  and is dramatically enhanced at  $x = +0.2$ , which

implies the changes in the electronic band structure with the composition. However, a detailed analysis on the composition dependence of AMR is beyond the scope of this study, and we primarily focus on the stoichiometric sample as discussed in the main text.

### S.3: Theoretical analysis of anisotropic magnetoresistance results



In theoretical calculations of AMR in  $\text{Mn}_2\text{VGa}$  ( $x = 0$ ), we consider that Mn atoms dominate the  $s$ - $d$  scattering process because the  $d$ -orbital density of states (DOS) of Mn in the spin-down band at the  $E_F$  is larger than that of V, as shown in **Figure S.3**. The AMR ratio for the current ( $I$ ) along the  $\text{MVG}_{[100]}$  and  $\text{MVG}_{[110]}$  directions, respectively, is expressed as

$$AMR^{[100]} = 2C_2^{[100]} \quad (\text{S1})$$

where

$$C_2^{[100]} = \frac{3}{8} \frac{1}{1+r+r_{s,-\rightarrow\gamma,-}} \left\{ \frac{1}{r+r_{s,-\rightarrow\gamma,-}} \left[ \left(\frac{\lambda}{\Delta}\right)^2 (r_{s,-\rightarrow\gamma,-} - r_{s,-\rightarrow\epsilon,-}) - \left(\frac{\lambda}{H+\Delta}\right)^2 r_{s,-\rightarrow\gamma,-} \right] + \left(\frac{\lambda}{H-\Delta}\right)^2 r_{s,+\rightarrow\epsilon,-} (r + r_{s,-\rightarrow\gamma,-}) \right\} \quad (\text{S2})$$

and

$$AMR^{[110]} = 2C_2^{[110]} \quad (\text{S3})$$

where

$$C_2^{[110]} = \frac{3}{8} \frac{1}{1+r+\frac{3}{4}r_{s,-\rightarrow\varepsilon,-}+\frac{1}{4}r_{s,-\rightarrow\gamma,-}} \left\{ \frac{1}{r+\frac{3}{4}r_{s,-\rightarrow\varepsilon,-}+\frac{1}{4}r_{s,-\rightarrow\gamma,-}} \left[ \left(\frac{\lambda}{\Delta}\right)^2 (r_{s,-\rightarrow\varepsilon,-} - r_{s,-\rightarrow\gamma,-}) - \frac{\lambda^2}{H\Delta} r_{s,-\rightarrow\varepsilon,-} + \frac{\lambda^2}{\Delta(H+\Delta)} r_{s,-\rightarrow\gamma,-} \right] + \frac{\lambda^2}{H(H-\Delta)} r_{s,+\rightarrow\varepsilon,-} \left( r + \frac{3}{4}r_{s,-\rightarrow\varepsilon,-} + \frac{1}{4}r_{s,-\rightarrow\gamma,-} \right) \right\} \quad (\text{S4})$$

The parameters used in these expressions are as follows:  $\lambda = 0.0109$  eV is the spin-orbit coupling constant for Mn,  $H = 2$  eV is the exchange field estimated from the energy difference in the peak positions between the spin-up and spin-down of the partial Mn  $d$ -DOS, and  $\Delta = 0.6$  eV is the energy difference in the peak positions between the  $\varepsilon$  and  $\gamma$  orbitals of the partial Mn  $d$ -DOS induced by the crystal field, **Fig. S.3a**. The other parameters,  $r$ ,  $r_{s,+\rightarrow\varepsilon,-}$ ,  $r_{s,-\rightarrow\varepsilon,-}$ , and  $r_{s,-\rightarrow\gamma,-}$  are defined as

$$r = \frac{\rho_{s,-}}{\rho_{s,+}} = \left(\frac{m_-^*}{m_+^*}\right)^4 \left(\frac{D_+^{(s)}}{D_-^{(s)}}\right)^2, \quad r_{s,+\rightarrow\varepsilon,-} = \frac{\rho_{s,+\rightarrow\varepsilon,-}}{\rho_{s,+}} = \beta_+ \frac{D_{\varepsilon,-}^{(d)}}{D_+^{(s)}}, \quad r_{s,-\rightarrow\varepsilon,-} =$$

$$\frac{\rho_{s,-\rightarrow\varepsilon,-}}{\rho_{s,+}} = r\beta_- \frac{D_{\varepsilon,-}^{(d)}}{D_-^{(s)}}, \quad r_{s,-\rightarrow\gamma,-} = \frac{\rho_{s,-\rightarrow\gamma,-}}{\rho_{s,+}} = r\beta_- \frac{D_{\gamma,-}^{(d)}}{D_-^{(s)}}. \quad \text{Here, } r \text{ is the resistivity ratio of the } s-s$$

scattering for the spin-down over the  $s-s$  scattering for the spin-up, and  $r_{s,\sigma\rightarrow m,-} = \frac{\rho_{s,\sigma\rightarrow m,-}}{\rho_{s,+}}$  is

the resistivity ratio of the  $s-d$  scattering from the  $s$  state with the  $\sigma$  spin to the  $m$  orbital with the spin-down over the  $s-s$  scattering for the spin-up. The effective mass of the conduction electrons with the  $\sigma$  spin,  $m_{\sigma}^*$ , is estimated from the calculated energy dispersion diagrams, and its ratio, between the spin-down and the spin-up is estimated as  $\frac{m_-^*}{m_+^*} = 1$ . The amount of partial

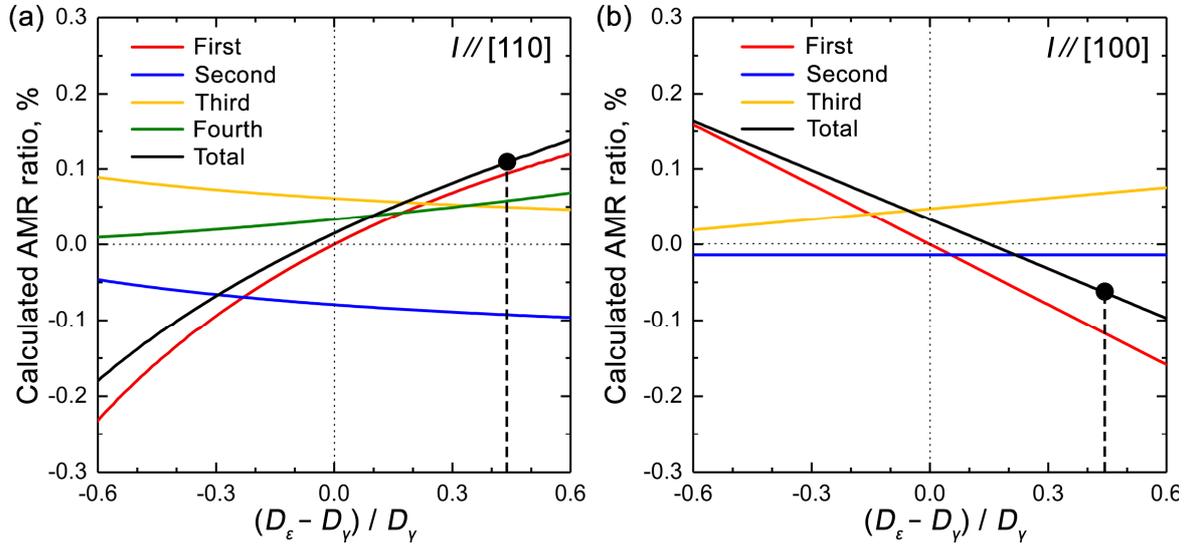
DOS at the  $E_F$  for the  $n$  state of the  $m$  orbital with the  $\sigma$  spin,  $D_{m,\sigma}^{(n)}$ , is obtained from the

calculated DOS as follows:  $D_+^{(s)} = 0.00112$ ,  $D_-^{(s)} = 0.011$ ,  $D_{\gamma,-}^{(d)} = 0.259$ , and  $D_{\varepsilon,-}^{(d)} = 0.372$ .

The uncertainty parameter with the  $\sigma$  spin,  $\beta_{\sigma}$ , was set as  $\beta_+ = \beta_- = 0.1$  depending on impurities and phonons [3].

**Figure S.4a** shows the calculated AMR<sup>[110]</sup> ratio as a function of  $(D_{\varepsilon,-}^{(d)} - D_{\gamma,-}^{(d)})/D_{\gamma,-}^{(d)}$  and the contributions from the first (red), second (blue), third (yellow), and fourth (green) terms in

(S4). The first term determines the monotonically decreasing trend because  $(r_{s \rightarrow \gamma, -} - r_{s \rightarrow \varepsilon, -})$  in the first term is proportional to  $(D_{\gamma, -}^{(d)} - D_{\varepsilon, -}^{(d)})$ . In addition,  $(1/\Delta)^2$  in the first term with small  $\Delta$  means that the first term has the large contribution. Similar to the  $\text{AMR}^{[110]}$ , the first term (red) in  $\text{AMR}^{[100]}$  also determines the monotonically increasing trend, **Fig. S.4b**, as  $(r_{s \rightarrow \varepsilon, -} - r_{s \rightarrow \gamma, -})$  in the first term is proportional to  $(D_{\varepsilon, -}^{(d)} - D_{\gamma, -}^{(d)})$ , and  $(1/\Delta)^2$  means the large contribution. The  $(D_{\varepsilon, -}^{(d)} - D_{\gamma, -}^{(d)})/D_{\gamma, -}^{(d)}$  value is calculated to be 0.435, which results in positive  $\text{AMR}^{[110]}$  and negative  $\text{AMR}^{[100]}$  ratios, respectively.



**Fig. S.4.** The calculated AMR ratio as a function of  $(D_{\varepsilon, -}^{(d)} - D_{\gamma, -}^{(d)})/D_{\gamma, -}^{(d)}$  for the current along (a)  $[110]_{\text{MVG}}$ , and (b)  $[100]_{\text{MVG}}$  directions, respectively. The contributions from individual terms in Eq. (S2) and Eq. (S4) are also shown. The dashed lines represent the values obtained from the DOS calculation in Fig. S.2.

## References

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